

TARQATMA VA VIZUAL MATERIALLAR

TESTLAR

Topshiriqlar	To'g'ri javob	Muqobil javob	Muqobil javob	Muqobil javob
Ikkinchi tartibli chiziqlarning umumiy tenglamasini aniqlang.	* $Ax^2 + 2Bxy + Cy^2 + 2Ey + F = 0$	$Ax^2 - Bxy + Cy^2 + 2Ey + F = 0$	$Ax^2 + Bx + Cy^2 + Ey + F = 0$	$Ax^2 + 2Bxy + Cy^2 + 2Ey + F = 0$
Ellips tenglamasini aniqlang.	* $\frac{x^2}{a^2} + \frac{y^2}{b^2} = 1$	$\frac{x^2}{a^2} - \frac{y^2}{b^2} = 1$	$\frac{x^2}{a^2} + \frac{y^2}{b^2} = -1$	$\frac{r^2}{\delta^2} + \frac{\hat{a}^2}{\hat{\delta}^2} = 1$
Giperbola tenglamasini aniqlang.	* $\frac{x^2}{a^2} - \frac{y^2}{b^2} = 1$	$\frac{x^2}{a^2} + \frac{y^2}{b^2} = 1$	$\frac{x^2}{a^2} - \frac{y^2}{b^2} = -1$	$\frac{r^2}{\delta^2} - \frac{\hat{a}^2}{\hat{\delta}^2} = 1$
Parabola tenglamasini aniqlang.	* $y^2 = 2px$	$y^2 = x$	$y = 2px$	$y = x$
$x - y + 2z - 6 = 0$ tekislikning tenglamasini kesmalar bo'yicha tenglamaga keltiring.	* $\frac{x}{6} - \frac{y}{6} + \frac{z}{3} = 1$	$\frac{x}{-6} + \frac{y}{-6} + \frac{z}{3} = 1$	$\frac{x}{6} + \frac{y}{6} + \frac{z}{6} = 1$	$\frac{x}{6} + \frac{y}{6} + \frac{z}{6} = 1$
$\frac{x^2}{81} + \frac{y^2}{16} = 1$ ellipsning kichik yarim va katta yarim o'qlarini toping.	* $a = 9, b = 4$	$a = 4, b = 19$	$a = 16, b = 81$	$a = 18, b = 8$
$y^2 = 4x$ parabolaning parametrik qiymatini toping.	* $p = 2$	$p = 4$	$p = -2$	$p = -4$

Haqiyqiy yarim o`qlari $a=5$, mavqum o`qi $b=3$ bo`lgan giperbola tenglamasini toping.	$\frac{x^2}{25} - \frac{y^2}{9} = 1$ $* \frac{x^2}{25} - \frac{y^2}{9} = 1$	$\frac{x^2}{5} - \frac{y^2}{3} = 1$	$\frac{x^2}{15} - \frac{y^2}{6} = 1$	$\frac{x^2}{25} + \frac{y^2}{9} = 1$
$\frac{x^2}{32} + \frac{y^2}{18} = 1$ ellipsning $N(4;3)$ no`qtada urinuvchi urunma tenglamasini tuzing.	$* 3x + 4y - 24 = 0$	$4x + 3y - 24 = 0$	$3x + 3y - 4 = 0$	$3x - 4y - 43 = 0$
$a = 4, b = 3$ bo`lsa giperbolaning kanonik tenglamasini tuzing.	$\frac{x^2}{16} - \frac{y^2}{9} = 1$ $* \frac{x^2}{16} - \frac{y^2}{9} = 1$	$\frac{y^2}{16} + \frac{x^2}{9} = 1$	$\frac{x^2}{9} - \frac{y^2}{16} = 1$	$\frac{x^2}{16} - \frac{y^2}{9} = 2$
$(x-1)^2 + y^2 = 3$ aylananing markazi topilsin.	$* (1,0)$	$(0;0)$	$(1;2)$	Orayi joq
$\frac{x^2}{32} + \frac{y^2}{18} = 1$ ellipsning $N(4;3)$ nuqtada urinuvchi urunma tenglamasini toping.	$* 3x + 4y - 24 = 0$	$4x + 3y - 24 = 0$	$3x + 3y - 4 = 0$	$3x - 4y - 43 = 0$
Ellipsning kanonik tenglamasi qaysi javobda to`g`ri	$\frac{x^2}{a^2} + \frac{y^2}{b^2} = 1$ $* \frac{x^2}{a^2} + \frac{y^2}{b^2} = 1$	$\frac{x}{a^2} + \frac{y^2}{b^2} = 1$	$\frac{x^2}{a^2} + \frac{y}{b^2} = 1$	$\frac{x^2}{a^2} - \frac{y^2}{b^2} = 1$

berilgan.				
Giperbolaning kanonik tenglamasi qaysi javobda to`g`ri berilgan.	$\frac{x^2}{a^2} - \frac{y^2}{b^2} = 1$ * $\frac{x^2}{25} - \frac{y^2}{16} = 1$	$\frac{x^2}{a^2} + \frac{y^2}{b^2} = 1$ $\frac{x^2}{25} + \frac{y^2}{16} = 1$	$\frac{x^2}{a^2} + \frac{y}{b^2} = 1$ $\frac{x^2}{16} - \frac{y^2}{25} = 1$	$\frac{x^2}{a^2} + \frac{y^2}{b^2} = 1$ $\frac{x^2}{16} - \frac{2y^2}{25} = 1$
$a = 5, b = 4$ bo`lsa giperbolaning kanonik tenglamasini tuzing.	$\frac{x^2}{25} - \frac{y^2}{16} = 1$	$\frac{x^2}{25} + \frac{y^2}{16} = 1$	$\frac{x^2}{16} - \frac{y^2}{25} = 1$	$\frac{x^2}{16} - \frac{2y^2}{25} = 1$
$a = 5, b = 4$ bo`lsa giperbolaning kanonik tenglamasini tuzing.	$* \frac{x^2}{25} + \frac{y^2}{16} = 1$	$\frac{x^2}{16} + \frac{y^2}{25} = 1$	$\frac{x^2}{16} - \frac{y^2}{25} = 1$	$\frac{x^2}{16} + \frac{2y^2}{25} = 1$

1. Markazi $(0, -3)$ nuqtada va radiusi 3 birlikka teng bulgan aylananing tenglamasini tuzing.
2. Quyidagi aylananing radiusi va markazining koordinatalari topilsin $x^2+y^2+2x-6y+5=0$.
3. Markazi $(5; -7)$ nuqtada bulgan va $(2; -3)$ nuqtadan utadigan aylana tenglamasini tuzing.
4. $3x^2+3y^2-18x-10y-48=0$ aylananing koordinata uqlari bilan kesishish nuqtalarini toping.
5. $x^2+y^2-4x+2y-29=0$ aylana bilan $x-y-1=0$ tug'ri chiziqning kesishish nuqtalarining koordinatalarini toping.
6. A(3;1), B(-2;6) VA C(-5;-3) nuqtalardan utadigan aylana tenglamasini tuzing.
7. Tenglama bilan berilgan aylananing markazining koordinatalarini toping.
8. $M_1(1;2), M_2(3;4), M_3(-4;3), M_4(0;5)$ VA $M_5(5;-1)$ nuqtalardan qaysi birlari $x^2+y^2=25$ tenglama bilan berilgan aylanada yotadi.
9. Aylananing tenglamasi $x^2+y^2-2x-2y=0$. Uning uzunligini hisoblang.
10. $M(3;-1)$ nuqtadan $x^2+y^2+2x-4y=11$ aylanagacha bulgan masofani toping.
11. Agar fokuslari OX o'qda bulgan ellipsning o'qlari $2a=12$ va $2b=8$ berilgan bulsa , uning tenglamasini tuzing.

12. Agar ellipsning ikkita uchi $A_1(-6;0)$ va $A_2(6;0)$ nuqtalarda, fokuslari esa $F_1(-4;0)$, $F_2(4;0)$ koordinatalar berilgan bulsa, uning tenglamasini tuzing.
13. Agar ellipsning ikkita uchi $A_1(-8;0)$ va $A_2(8;0)$ nuqtalarda, fokuslari esa $F_1(0;6)$ va $F_2(0;-6)$ koordinatalar bilan berilgan bulsa, uning tenglamasini tuzing.
14. Fokuslari $F_1(-4;0)$ va $F_2(4;0)$ nuqtalarda yotgan va ekstentrisiteti $e=0,8$ bulgan ellipsning tenglamasini tuzing.
15. $X^2/49+y^2/16=1$ ellips berilgan. Ellips uchlarining koordinatalarini va fokuslari orasidagi masofani toping.
16. $X^2/100+y^2/51=1$ ellips berilgan. Bu ellipsning ekstentristetini hisoblang.
17. $X^2/100+y^2/25=1$ ellipsning $x+2y-14=0$ to'g'ri chiziq bilan kesishish nuqtalarining koordinatalarini toping.
18. $X+4y-28=0$ to'g'ri chiziqning $x^2/400+y^2/25=1$ ellips ichida joylashgan kesmasining uzunligini toping.
19. $A(\sqrt{3};\sqrt{6})$ va $B(3;\sqrt{2})$ nuqtalardan o'tuvchi ellipsning tenglamasini tuzing. Ellipsning fokuslari OX o'qida yotadi.
20. $X^2/225+y^2/25=1$ ellipsning tenglamasidan direktrisasini toping.